

Mediterranean subsurface circulation estimated from Argo data

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Outline

Determination of the float surface displacements :

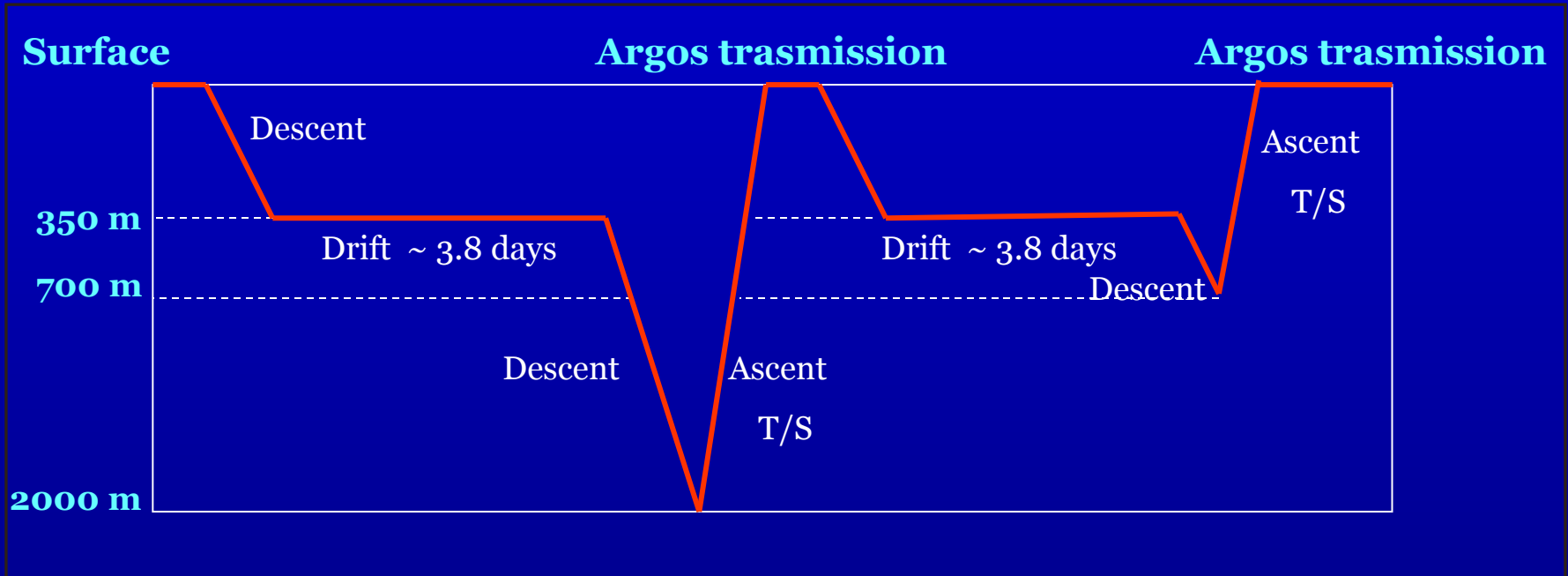
- Extrapolation of the diving (X^{DS}, Y^{DS}) and surfacing (X^{AE}, Y^{AE}) positions using estimated diving (DS – *Descent Start Time*) and surfacing (AE – *Ascent End Time*) times and a linear&inertial displacement model.

Determination of the float sub-surface displacements :

- Calculation of the extreme positions of the sub-surface drift using estimated arrival (DE – *Descent End Time*) and departure (DPS – *Descent to Profile Start Time*) times at parking depth, and a vertical current shear;
- Estimation of the sub-surface currents.

Computation of pseudo-Eulerian statistics of Mediterranean sub-surface circulation near 350 m depth.

MedArgo profilers : “Park and Profile” configuration



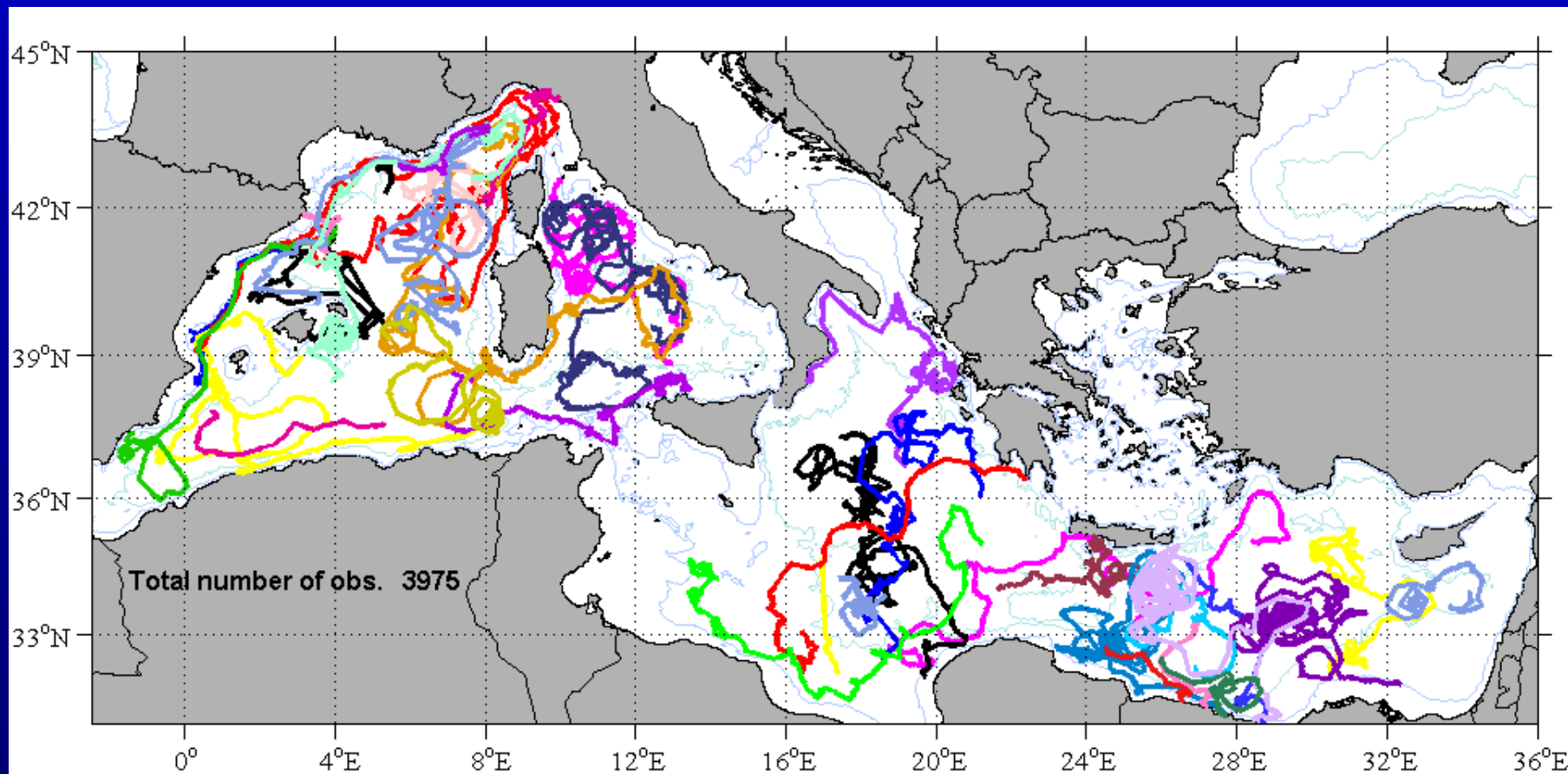
Trajectory files contain information on three dimensional movement of the float:

- set of coordinates of the float during its transmissions from the sea surface to satellite;
- pressure recorded during the parked phase of the cycle;

It is possible to use the float subsurface displacements to measure the circulation parking depth

MedArgo surface trajectories

From October 2003 to April 2009

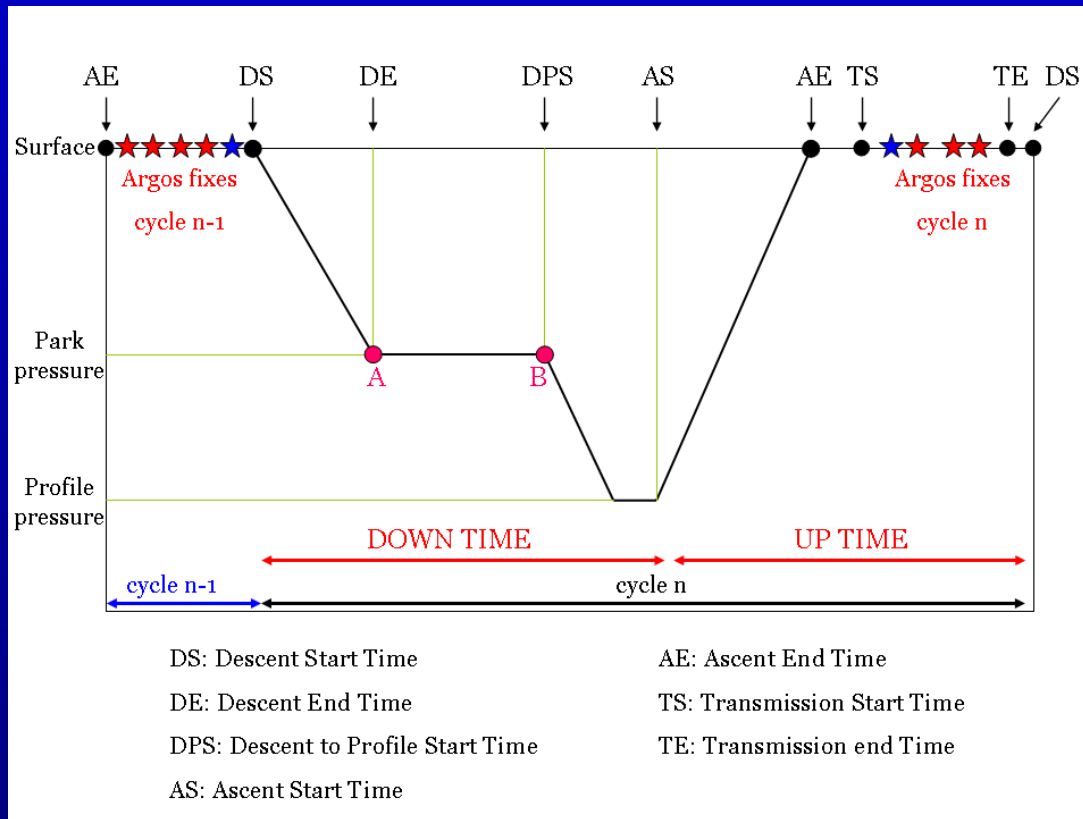


15 Apex
22 Provor



3975 cycles

Tecnical characteristics of Apex and Provor floats

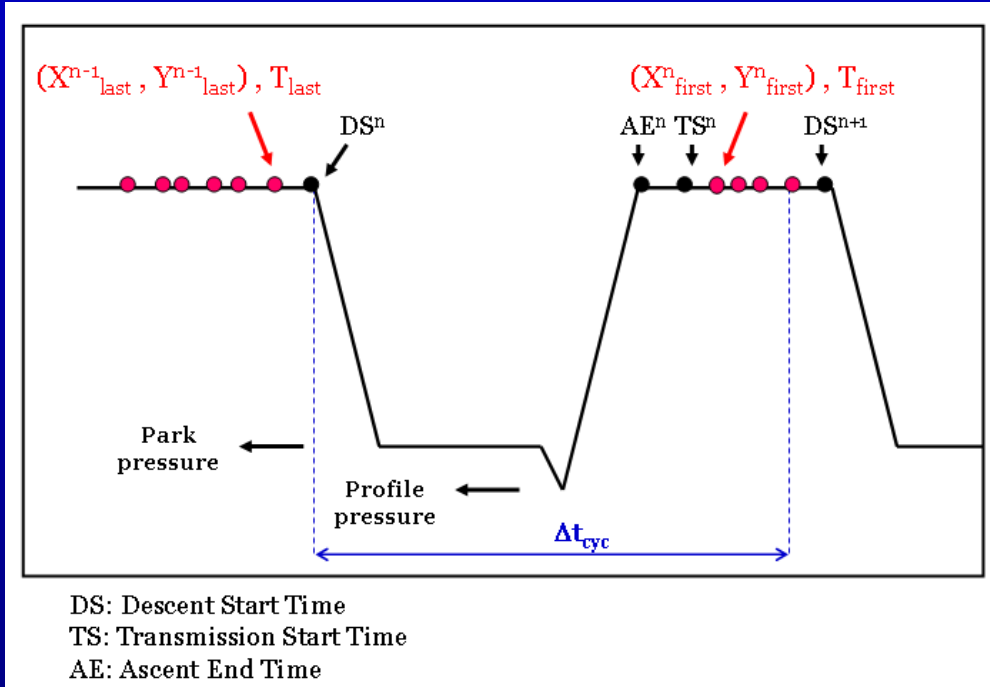


- **First approximation:** evaluate sub-surface position using the last position of the cycle n-1 and the first position of the cycle n (blue stars) (Lebedev et al.,2007);
- **Second approximation:** evaluate the best surface displacement through the estimation of **diving (DS)** and **surfacing (AE)** times and positions (Park & Kim, 2004);
- **Third approximation:** evaluate the best sub-surface displacement through the estimation of **arrive (DE)** and **departure (DPS)** times and positions at parking depth;

- Provor data contain the times AE, DS, DE, DPS, AS and TS
- Apex data contain only TS times, for this reason the evaluation of DS and AE times become necessary

Estimation of surfacing (AE) time - Apex

The surface arrival time (AE) can be determined from data in the Argos messages;



The time interval between TS and AE is 10 minutes:

$$AE = TS - 10 \text{ minutes}$$

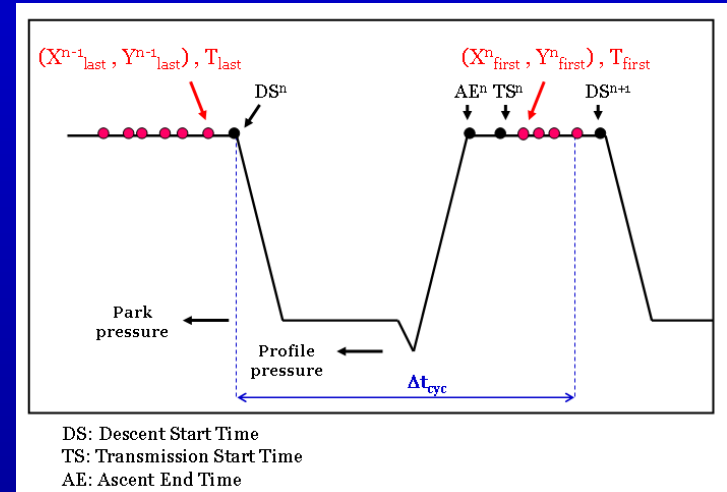
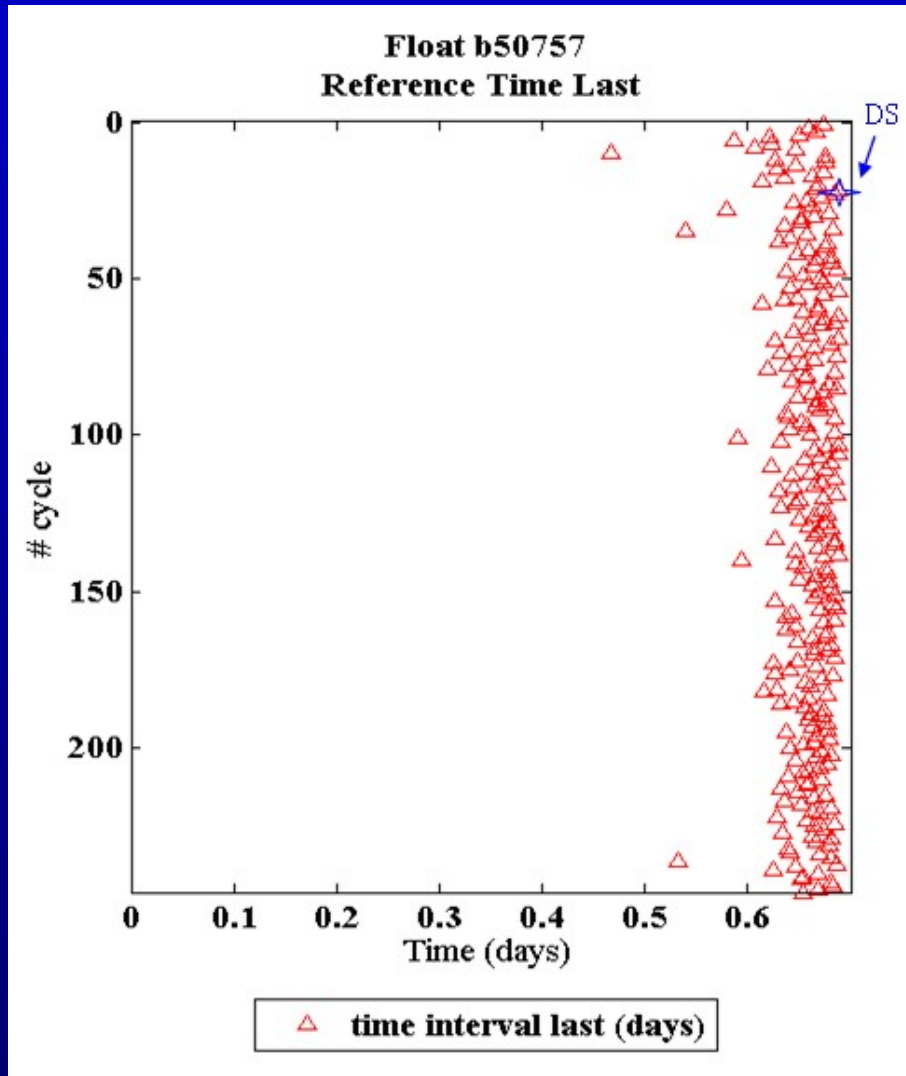


$$TS = T - (R * M)(N - 1)$$

Determination of the start time of Argos transmission (TS):

- the message #1 of an Apex transmission contain a counter of the number of measurements made during the CTD profile (number of triplet T,S,P);
- from the number of measurements is possible trace the number of messages (M) needed for trasmit all the profile;
- Apex repetition time (R) is 30 seconds;
- the N-th copy of message #1 is received at the time T;

Estimation of diving (DS) time - Apex



- Consider the set of the last transmission time (T_{last}) for

n_{last}

each cycle;

- Consider the exact period of operation (Δt_{cyc});

n = cycle number

cyc

Extrapolation of diving (X_{ex}, Y_{ex}) and surfacing (X_{obs}, Y_{obs}) positions

We assume that an Argo float surface displacement can be represented as:

Linear velocity + Inertial current + noise

$$\Delta t_k = t_k - t_0, \quad (k=0, \dots, N-1)$$

$$J = \sum_k^N \frac{(x_{ex} - x_{obs})^2 + (y_{ex} - y_{obs})^2}{2\sigma_k^2} \quad \frac{\partial J}{\partial (u_l, v_l, x_0, y_0, x_i, y_i)} = 0$$

Where :

(x_{ex}, y_{ex}) extrapolated positions

(x_{obs}, y_{obs}) observed positions

x_0, y_0

(x_0, y_0) reference positions

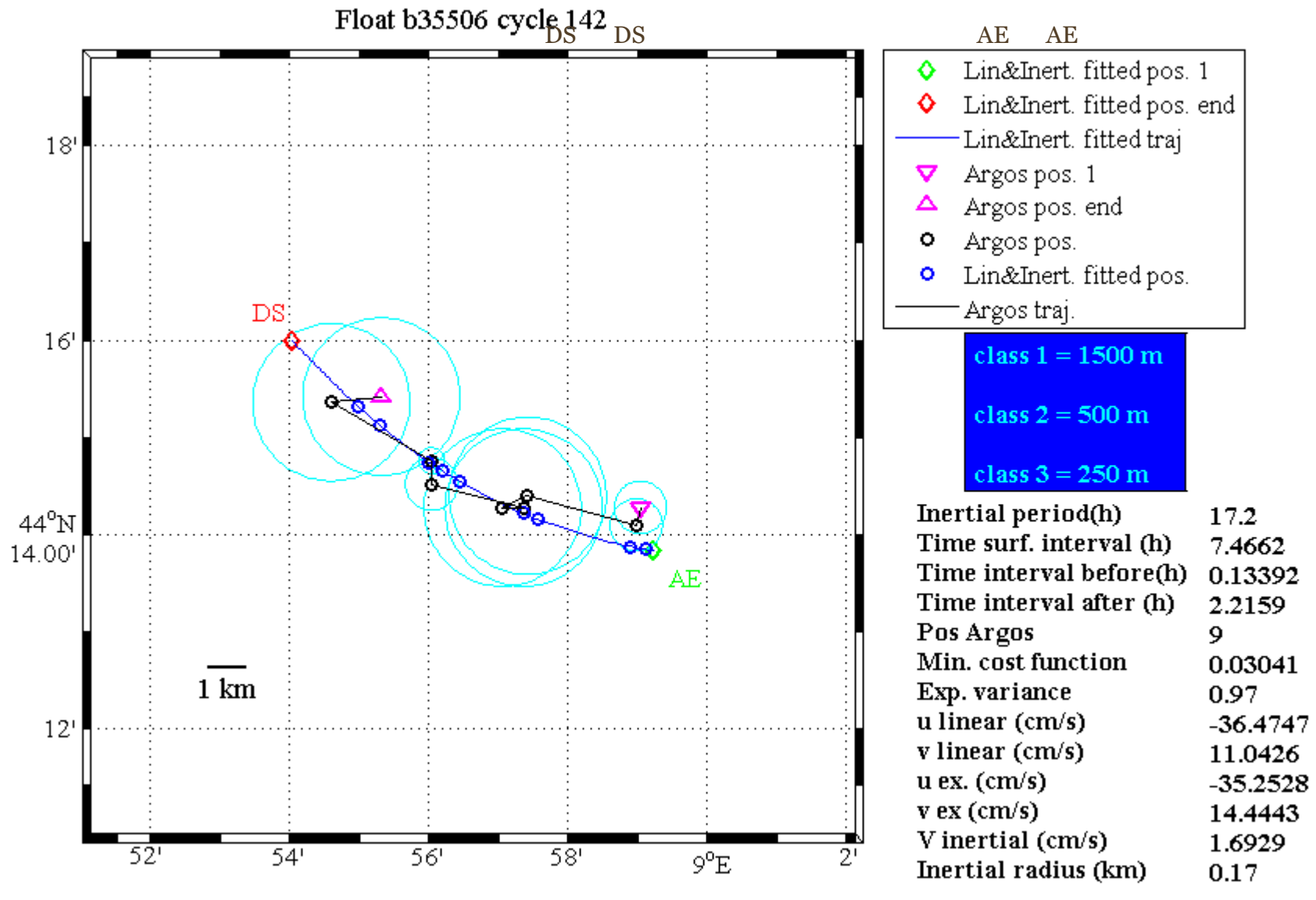
x_i, y_i

(x_i, y_i) observed positions

u_l, v_l

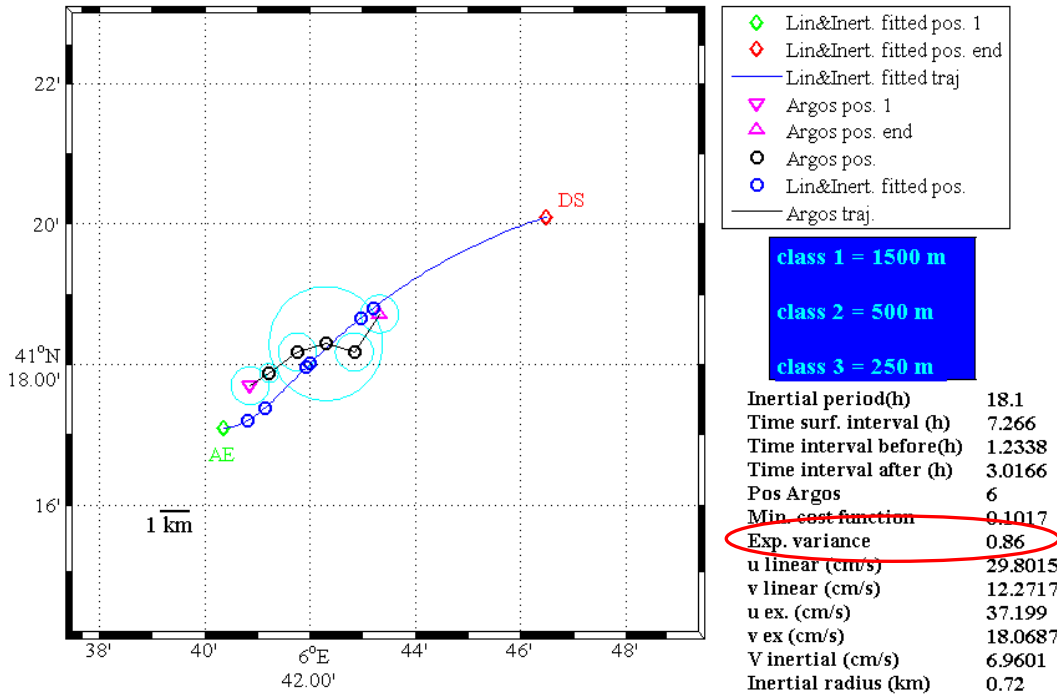
u_l, v_l

Extrapolation of diving (X_{DS}, Y_{DS}) and surfacing (X_{AE}, Y_{AE}) positions



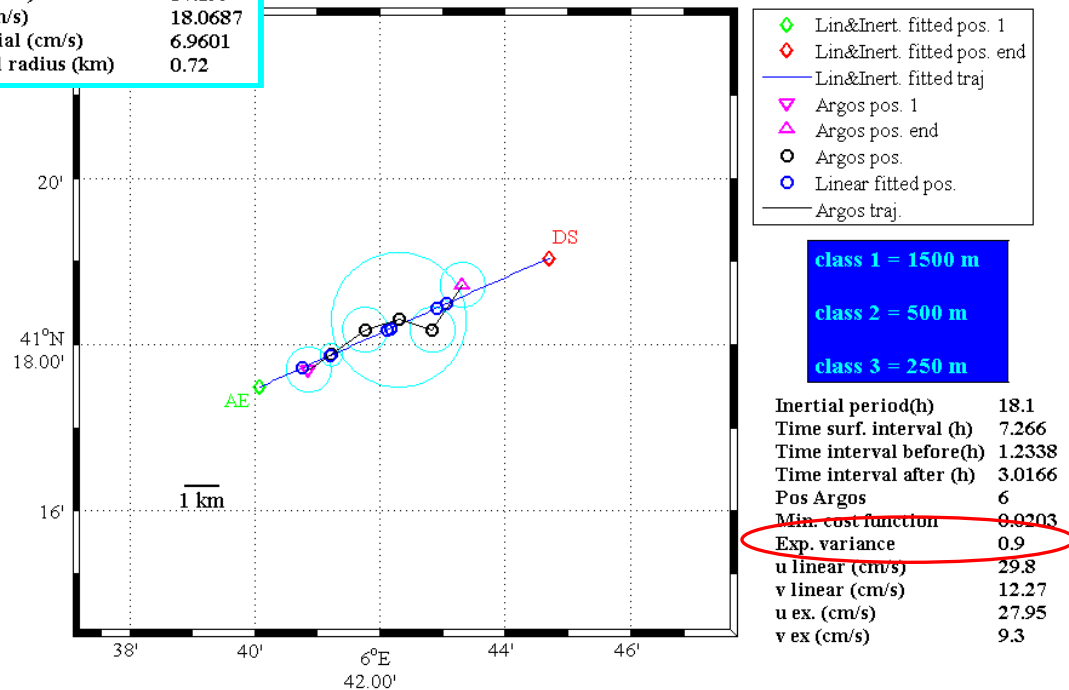
Comparison between linear&inertial and linear models

Float b35506 cycle 4



The Explained Variance or skill for the simple linear model (0.9) is higher than the combined linear&inertial model (0.86).

Float b35506 cycle 4

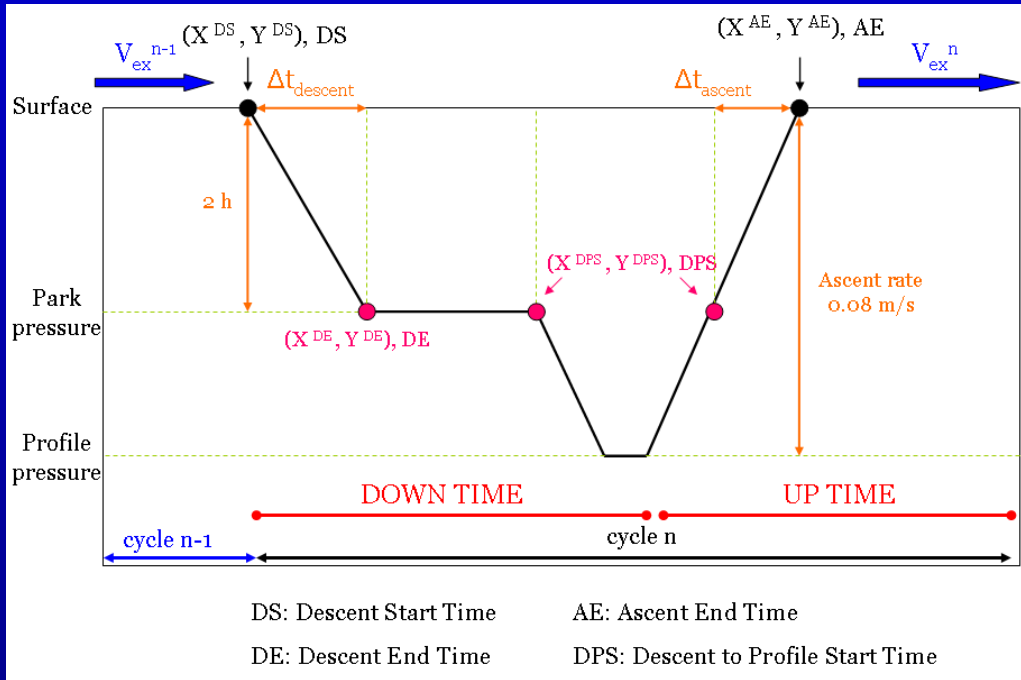


Evaluation of arrival times and positions at parking depth: $(X^z, Y^z), DE$

Apex float

From statistics results of Poulain et al. (2006):

$$\Delta t_{DE}^{DE} = 2 h;$$



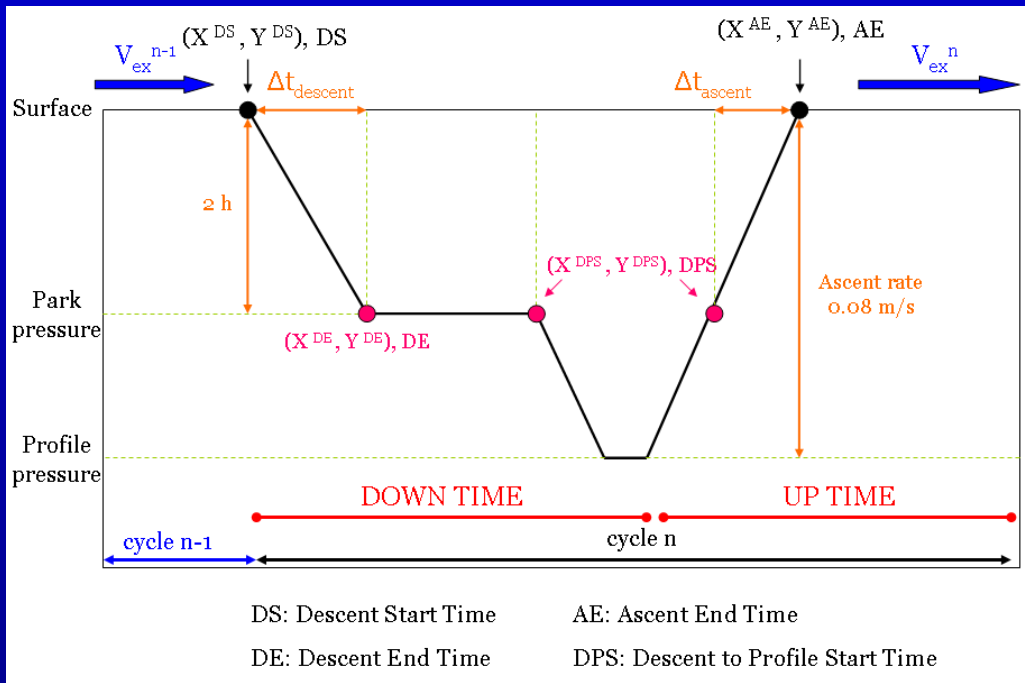
$$X^z = X^z + \Delta X^z$$



$$\Delta X_{descent}^z = \Delta t_{descent} \frac{u_{ex}^{n-1}}{2}$$

$$\Delta Y_{descent}^z = \Delta t_{descent} \frac{v_{ex}^{n-1}}{2}$$

Evaluation of departure times and positions at parking depth : $(X_{DE}, Y_{DE}), DPS$



Ascent Average Speed (AAS):

Apex \rightarrow 0.08 m/s

Provor CTS2 \rightarrow 0.09 m/s

Provor CTS3 \rightarrow 0.01 m/s

$$\Delta t = 350m / AAS$$

$$X^{DPS} = X^{AE} + \Delta X^z_{ascent}$$

$$Y^{DPS} = Y^{AE} + \Delta Y^z_{ascent}$$



$$\Delta X^z_{ascent} = \Delta t_{ascent} \frac{u_{ex}^n}{2}$$

$$\Delta Y^z_{ascent} = \Delta t_{ascent} \frac{v_{ex}^n}{2}$$

Use of times *DE-DPS* and positions $(X_{DE}, Y_{DE}) - (X_{DPS}, Y_{DPS})$ to evaluate

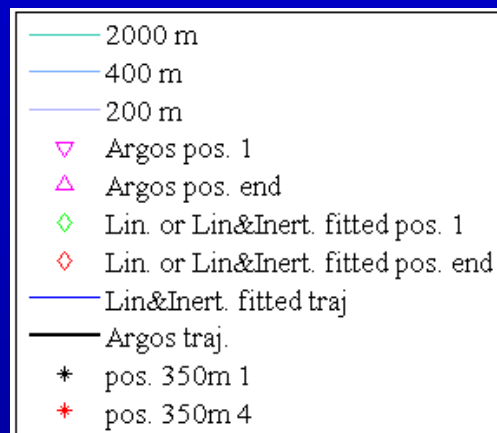
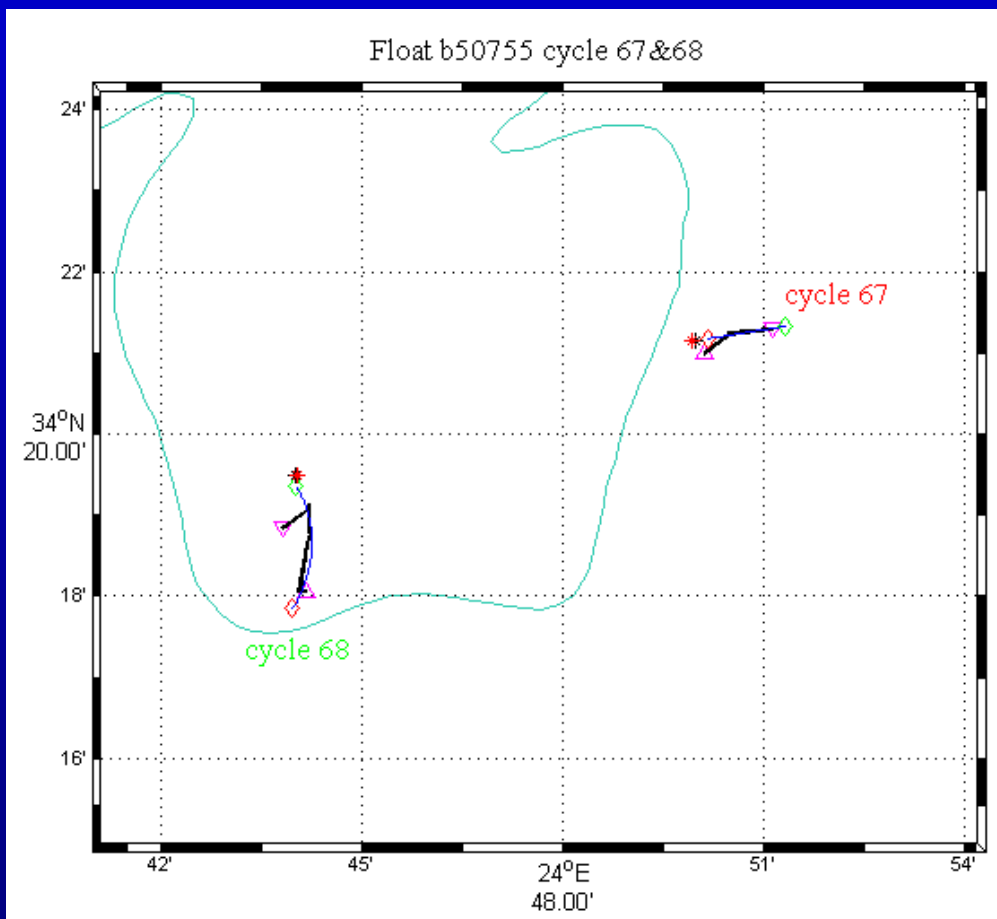
velocity at 350m (V_{350});



$\xrightarrow{350}$

DE DE DPS DPS

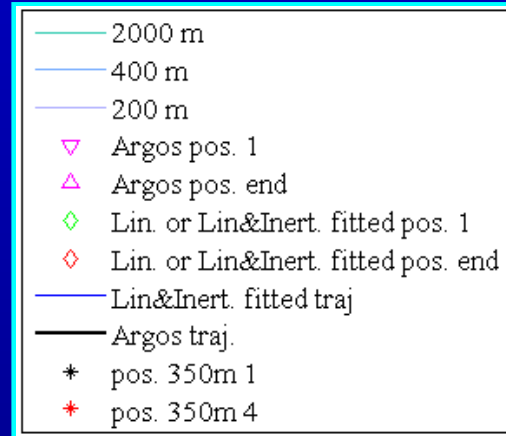
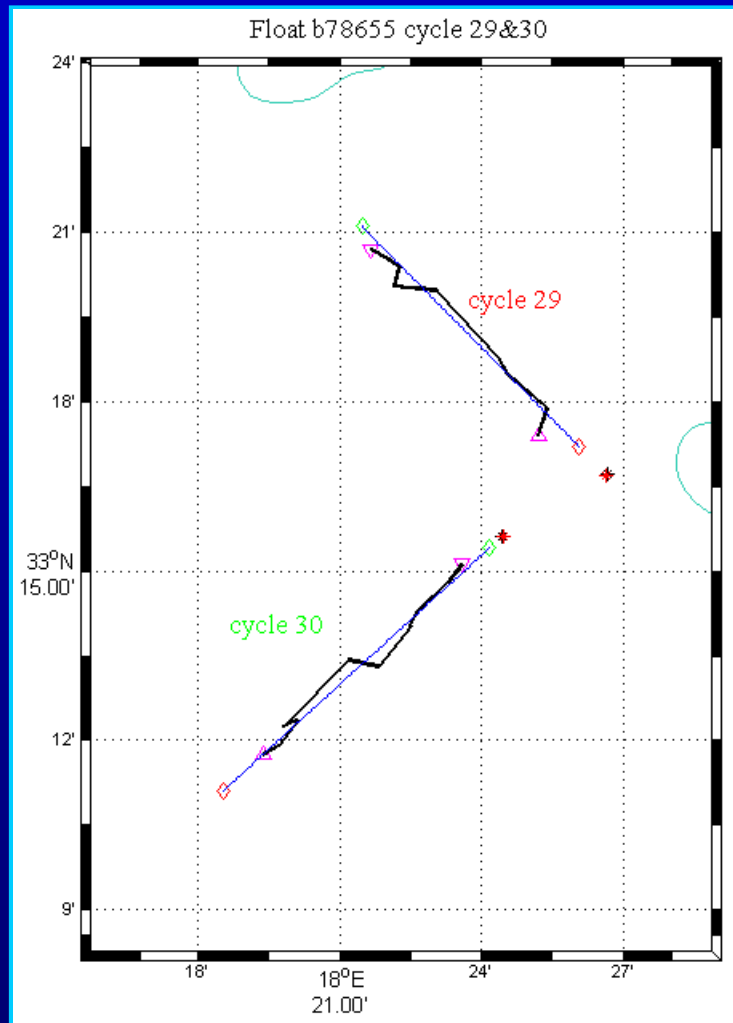
Evaluation of times and positions at parking depth : Apex



ul cyc 67 (cm/s)	-11.8551
vl cyc 67 (cm/s)	-3.1644
ul cyc 68 (cm/s)	3.5872
vl cyc 68 (cm/s)	-7.0585
ul ex. cyc 67 (cm/s)	-9.658
vl ex. cyc 67 (cm/s)	-1.15
ul ex. cyc 68 (cm/s)	-0.31507
vl ex. cyc 68 (cm/s)	-11.0609
V350m 1	2.9466
V350m 2	2.903
V350m 3	2.9036
V350m 4	2.9036
V350m 0	3.0112
dtaf (h)	2
dtbe (h)	1.2153

- (u,v) components of surface average velocity;
- (u ,v) components of extrapolated surface average velocity;
- V (1,2,3,4) speed at parking depth in four subsequent reiterations;
- V o first approximations of speed at parking depth;
- Dtaf descent time to parking depth;
- Dtbe ascent time from parking depth.

Evaluation of times and positions at parking depth : Provor CTS3



ul cyc 46 (cm/s)	-13.8448
vl cyc 46 (cm/s)	-20.3475
ul cyc 47 (cm/s)	-28.3984
vl cyc 47 (cm/s)	-7.2182
ul ex. cyc 46 (cm/s)	-8.7715
vl ex. cyc 46 (cm/s)	-19.935
ul ex. cyc 47 (cm/s)	-30.0559
vl ex. cyc 47 (cm/s)	-6.7817
V350m 1	9.5019
V350m 2	9.3106
V350m 3	9.3145
V350m 4	9.3144
V350m 0	8.2503
dtaf (h)	2.5008
dtbe (h)	1.0802

(u, v) components of surface average velocity;

(u_e, v_e) components of extrapolated surface average velocity;

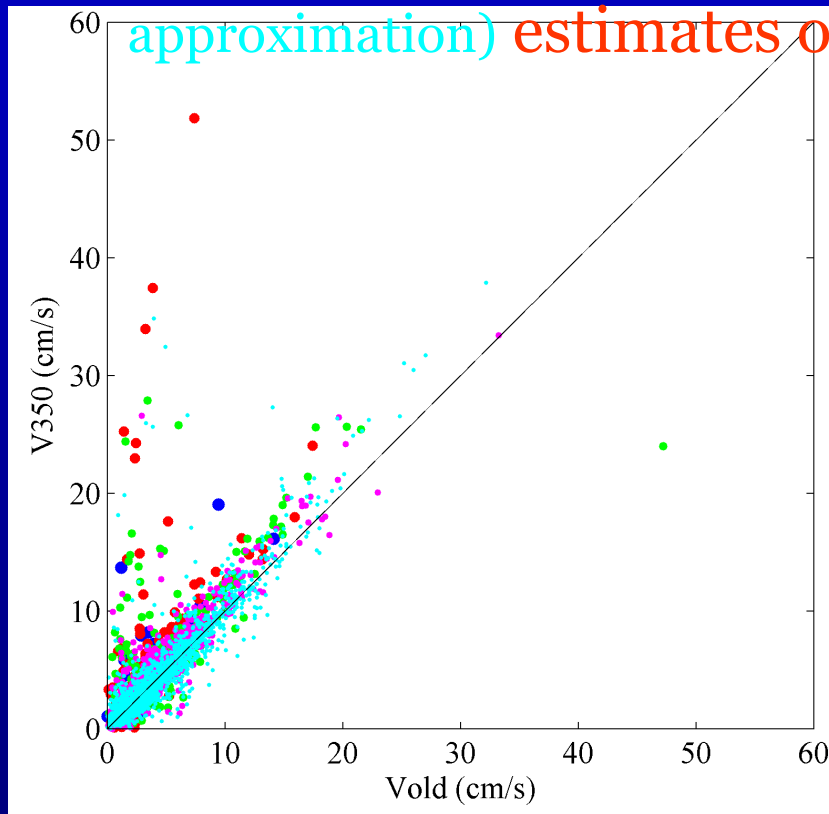
$V_{(1,2,3,4)}$ speed at parking depth in four subsequent reiterations;

V_o first approximations of speed at parking depth;

D_{taf} descent time to parking depth;

D_{tbe} ascent time from parking depth.

Comparison between rough (1 approximation) and fine (3 approximation) estimates of subsurface current near 350 m

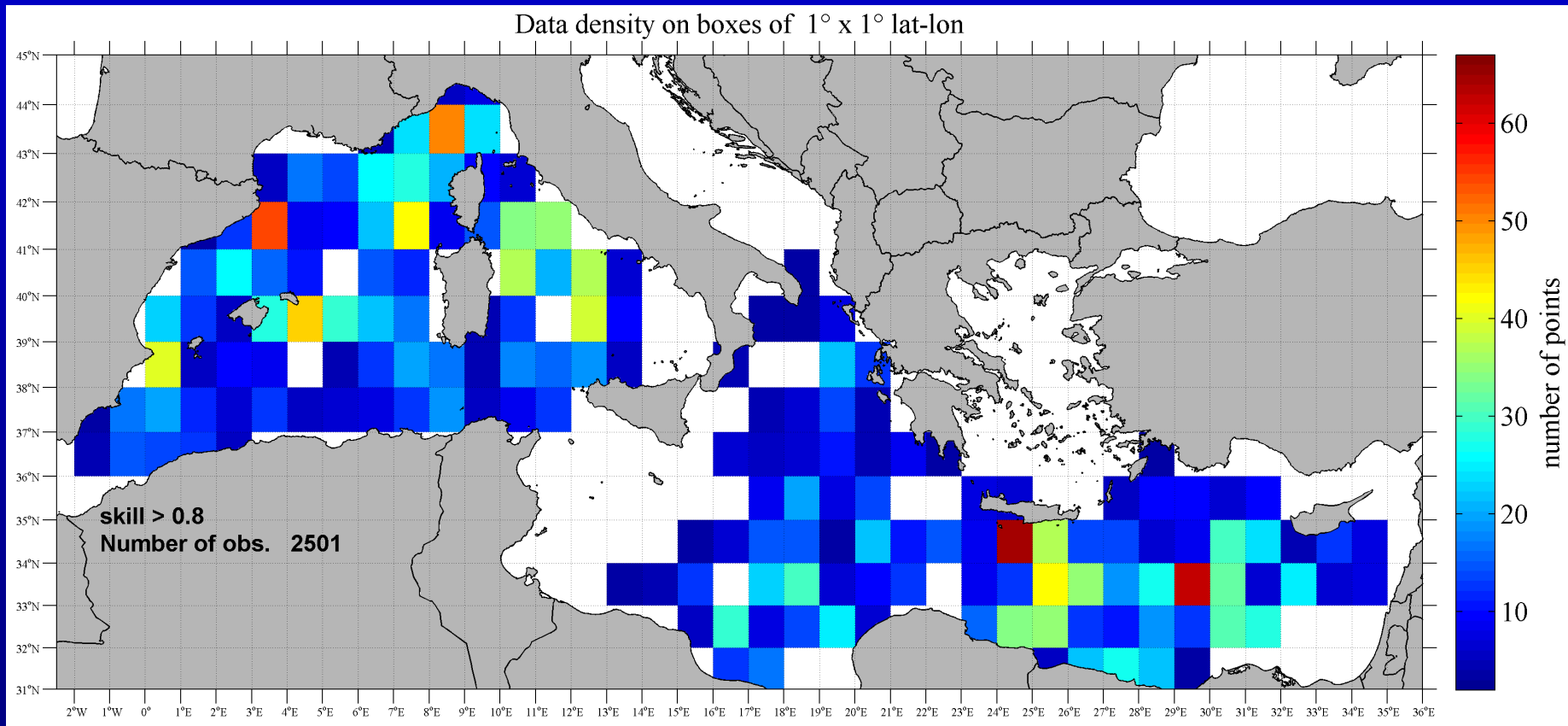


For skills > 0.8 :

- Mean Difference is negligible
- Standard Deviation is < 6.1 cm/s
- Correlation Coefficient is ~ 0.85

Explain Varince	Number of observations	mean($V_{350} - V_{\text{old}}$) (cm/s)	Standard Deviation (cm/s)	Correlation Coefficient
Skill ≥ 0.6	2838	0.67	6.50	0.74
Skill ≥ 0.7	2745	0.60	6.30	0.79
Skill ≥ 0.8	2505	0.49	6.09	0.85
Skill ≥ 0.9	1965	0.39	6.27	0.85

Pseudo - Eulerian statistics at 350 m

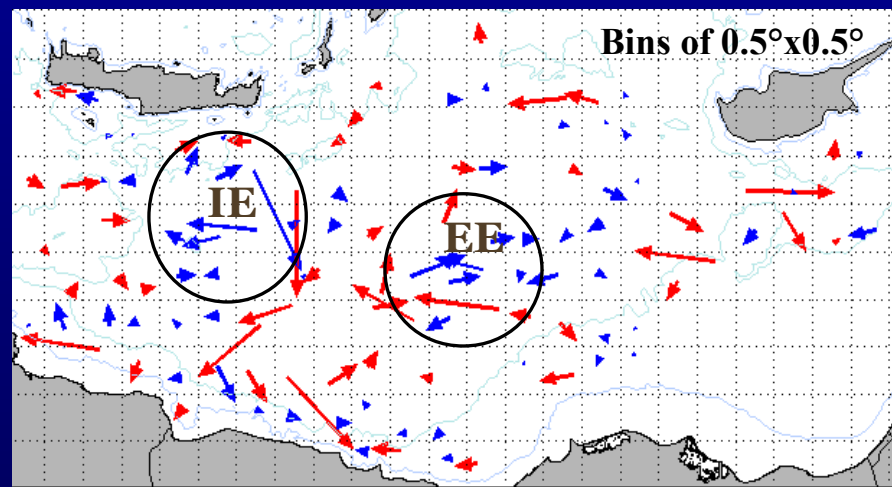
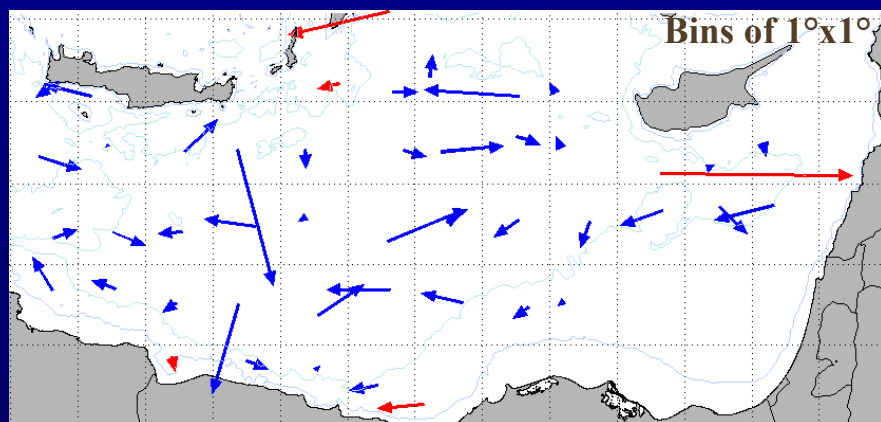
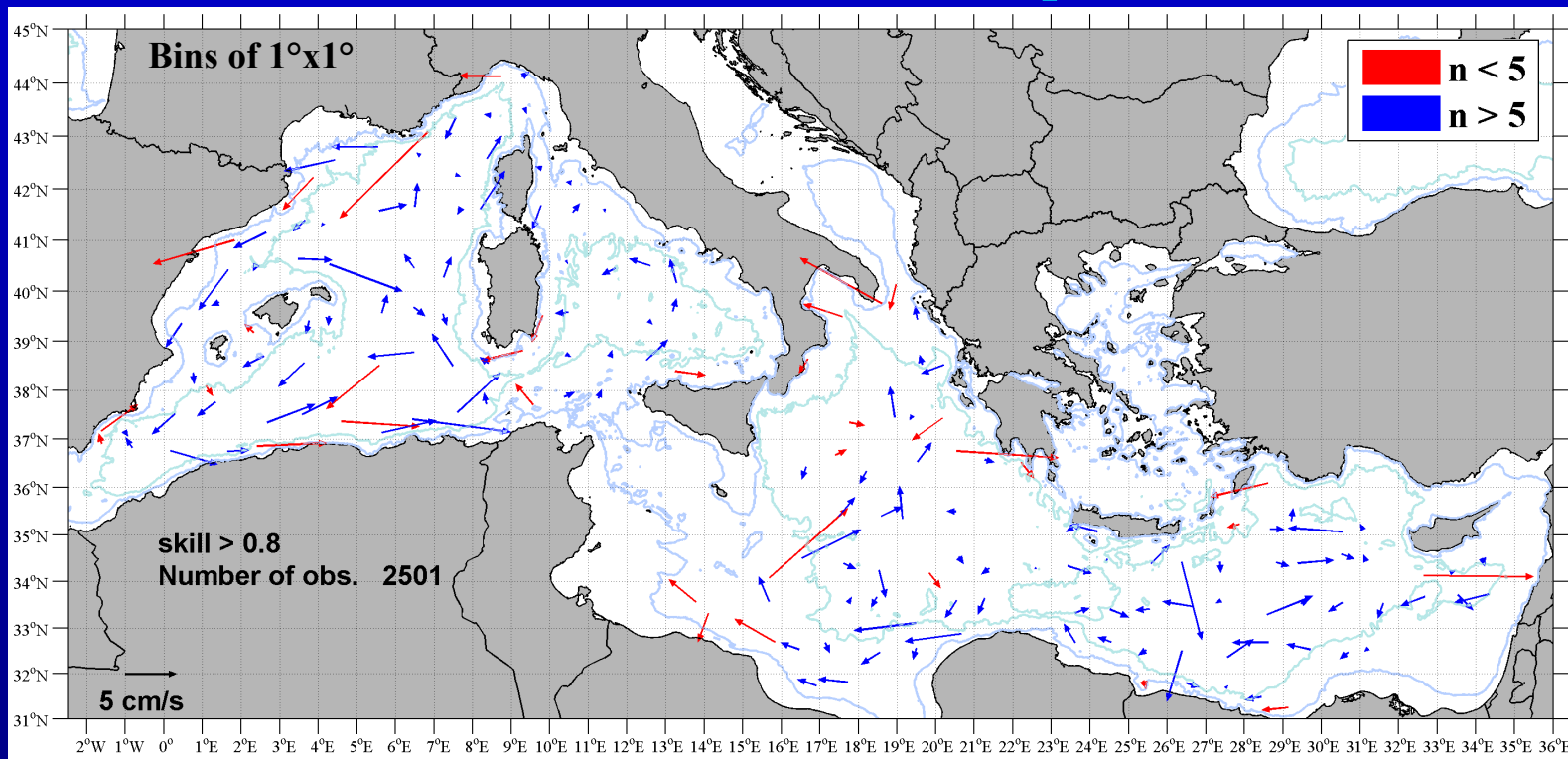


The bins with high number (> 30) of observations are localised :

- in the western region: Tyrrhenian Sea and Liguro – Provençal Basin;
- in the eastern region: Levantine Basin.

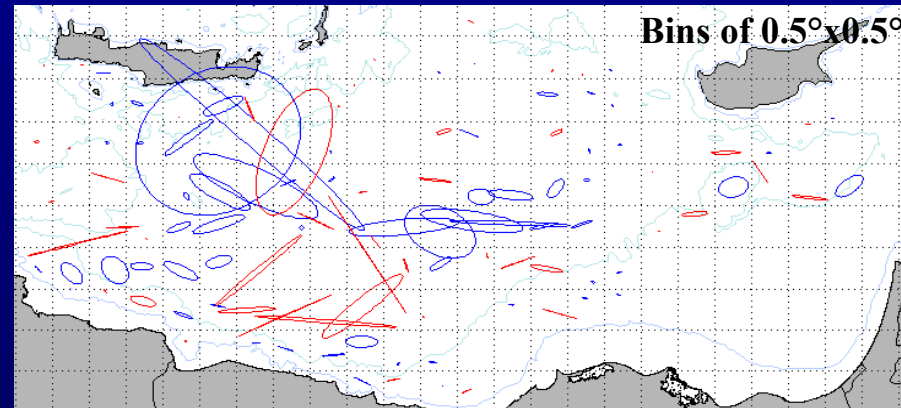
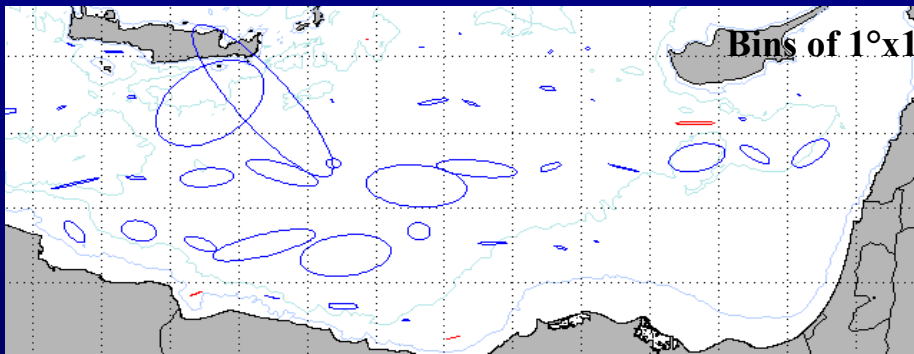
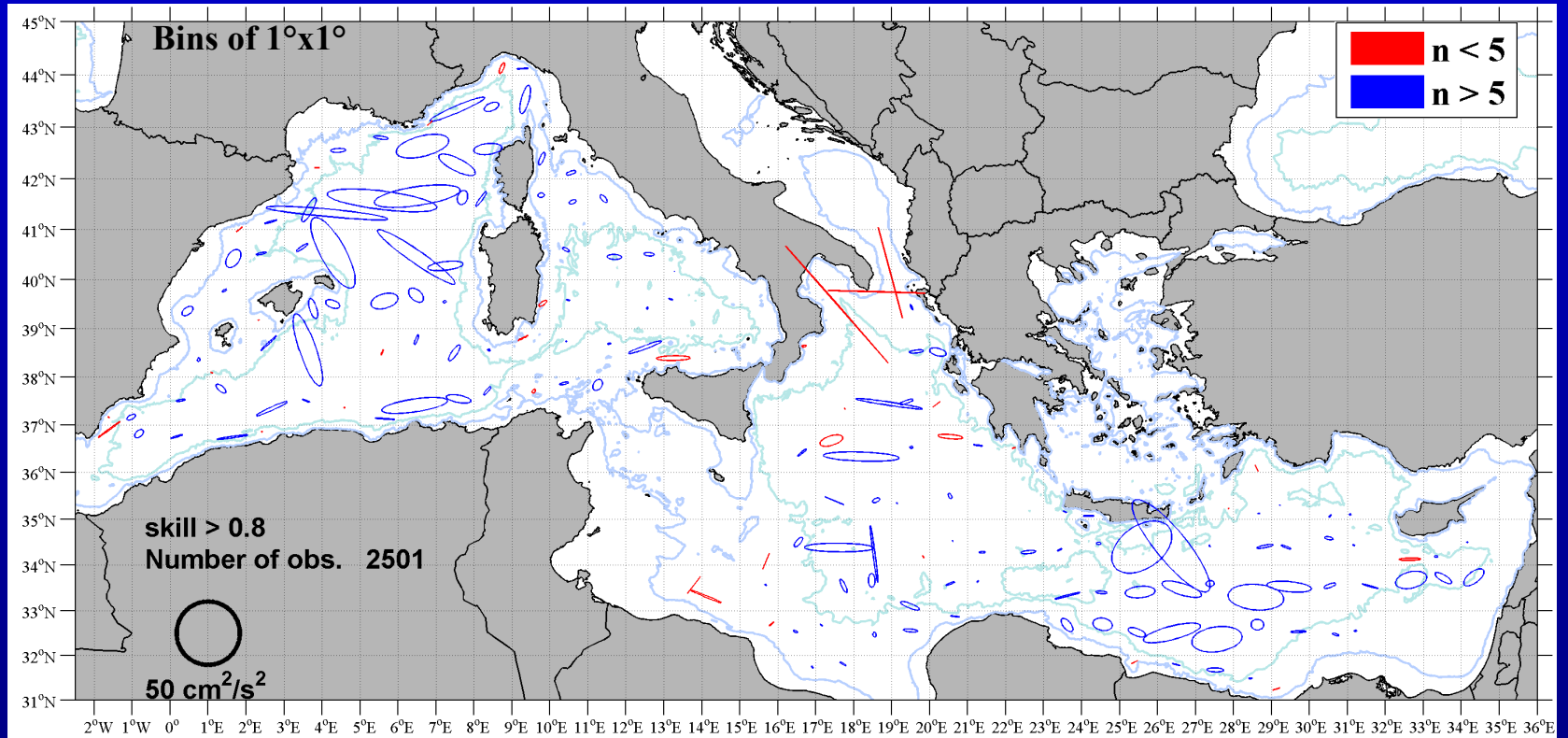
Pseudo - Eulerian statistics of sub-surface circulation at 350 m

Mean flow: October 2003 - April 2009

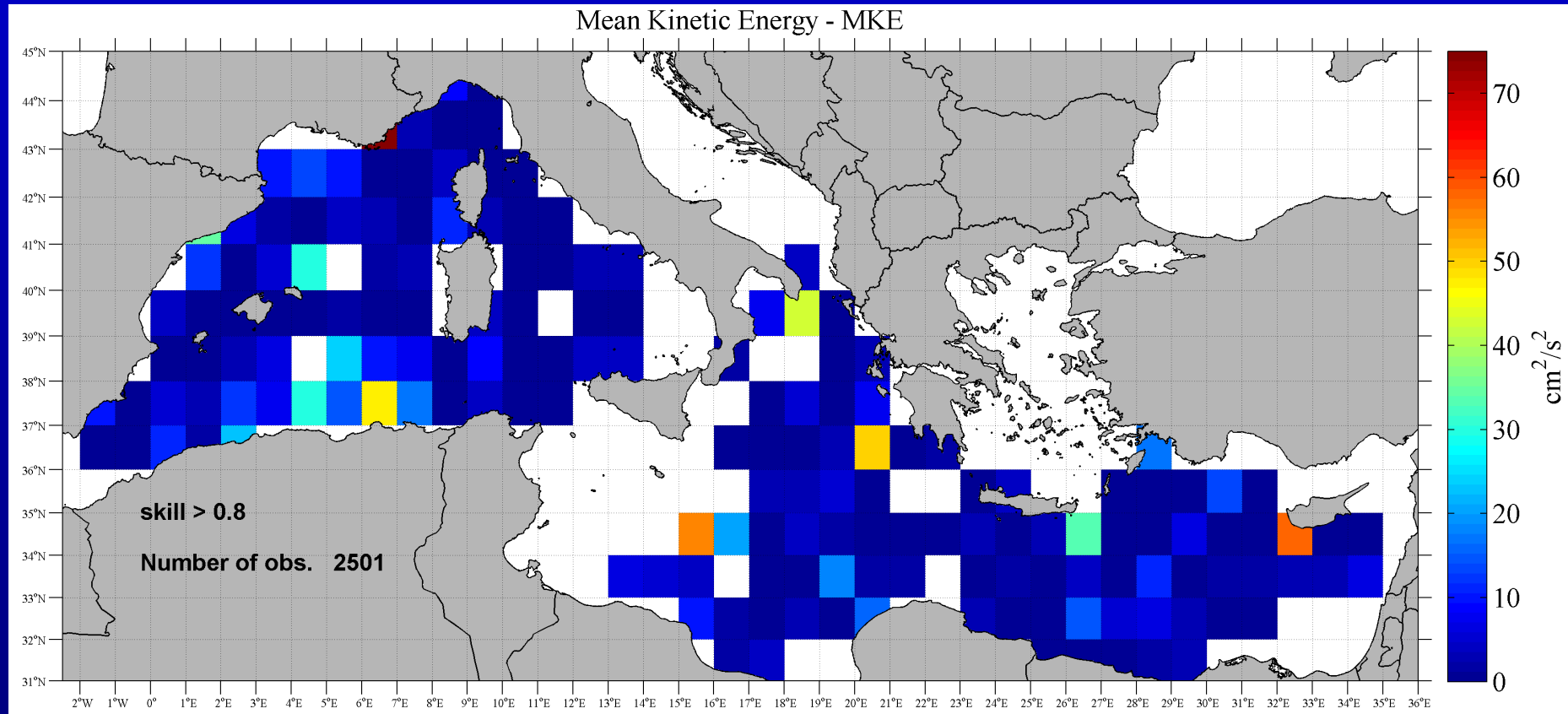


Pseudo - Eulerian statistics at 350 m

Velocity Variance: October 2003 - April 2009

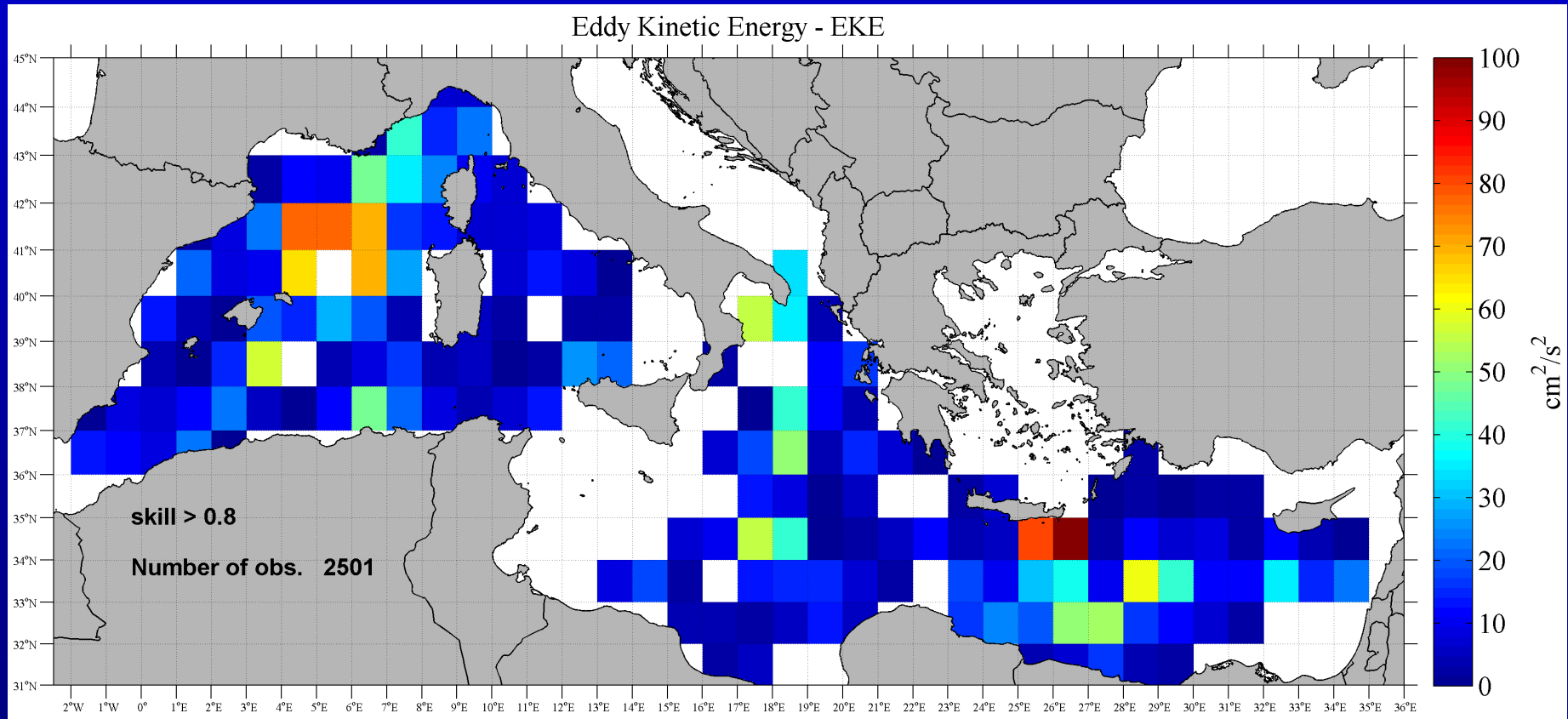


Pseudo - Eulerian statistics: Mean Kinetic Energy



- The MKE is maximum in some coastal regions, where the mean current vectors have higher values ;
- The maximum MKE (over 70 cm²/s²) is localised in the north-west basin;
- MKE is minimum (less than 10 cm²/s²) in most of the open sea.

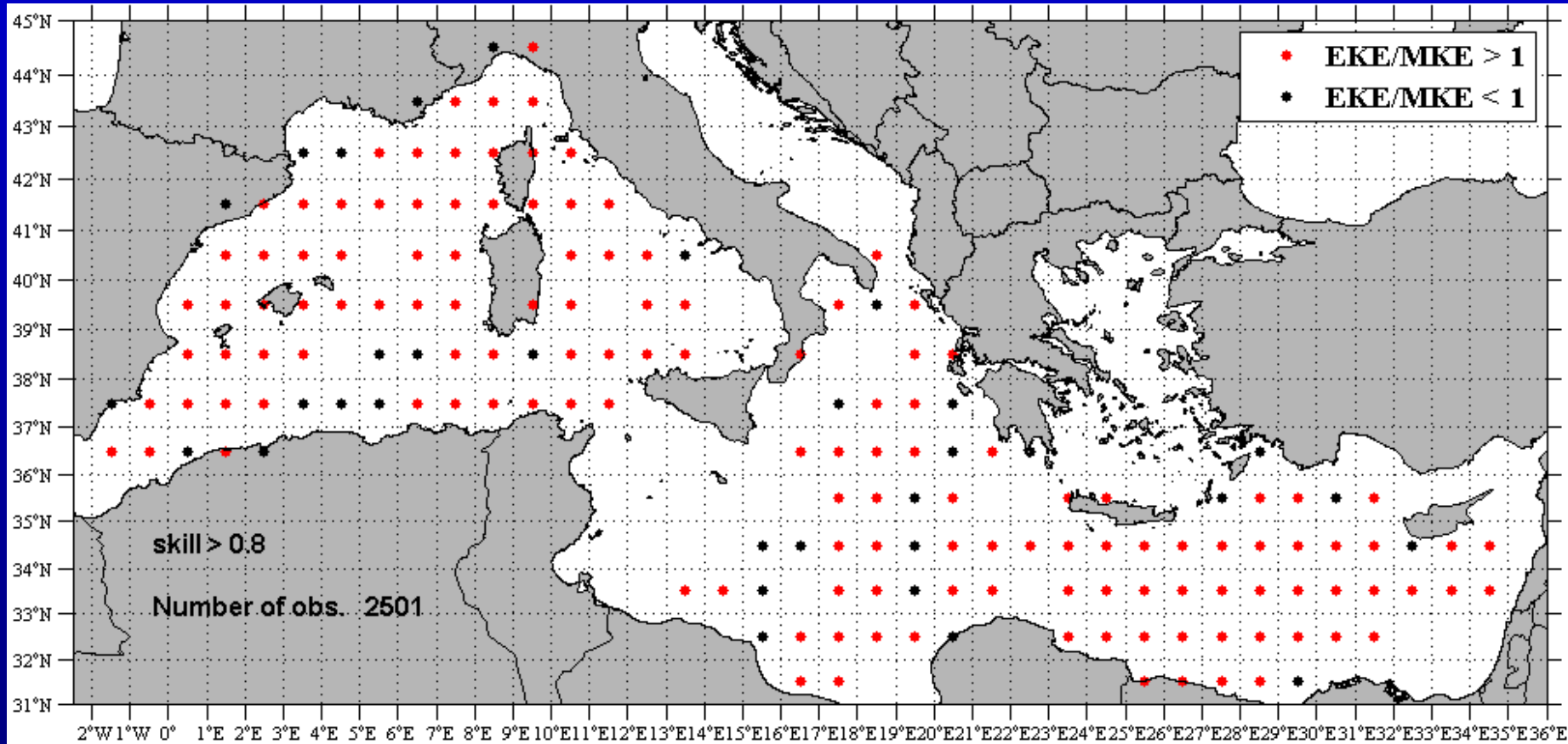
Pseudo - Eulerian statistics: Eddy Kinetic Energy



The EKE has strong gradients compared to MKE; it reaches values as large as about **100 cm²/s²** (rms velocity of 10 cm/s):

- in the centre of Levantine Basin, where there are several closed mesoscale and sub-basin scale circuits;
- in the Liguro-Provençal region, where the mean current has maximum values.

Pseudo - Eulerian statistics: ratio of EKE to MKE



For the most part of bins the ratio is major then 1;

The fluctuating velocity dominate the energy of sub-surface currents except in the strong currents;

Conclusion

Data from **37 Argo floats**, deployed in the Mediterranean Sea between October 2003 and April 2009, are used to determine the **float surface and sub-surface displacements**;

The better sub-surface displacement velocity data-set (V_{350}), compared with the first approximation displacement data-set (V_{old}), shows a negligible mean difference, a standard deviation < 6.1 cm/s and a high correlation coefficient (~ 0.9);

The V_{350} data-set is used to investigate the **sub-surface Mediterranean circulation**.

In the best sampled regions, the **Pseudo-Eulerian statistics** show typical circulation pathways related to the LIW:

- in the **Western region**, the velocity field follows the Liguro-Provençal-Catalan and the Algerian currents; this area is characterised by high values of EKE and by principal axes of variance oriented in the direction of mean currents;
- in the **Eastern region** the mesoscale and sub-basin scale circulation is dominated by eddies (diameters of 100-150 km); the maximum value of EKE and variance is located south of Crete (Ierapetra eddy).